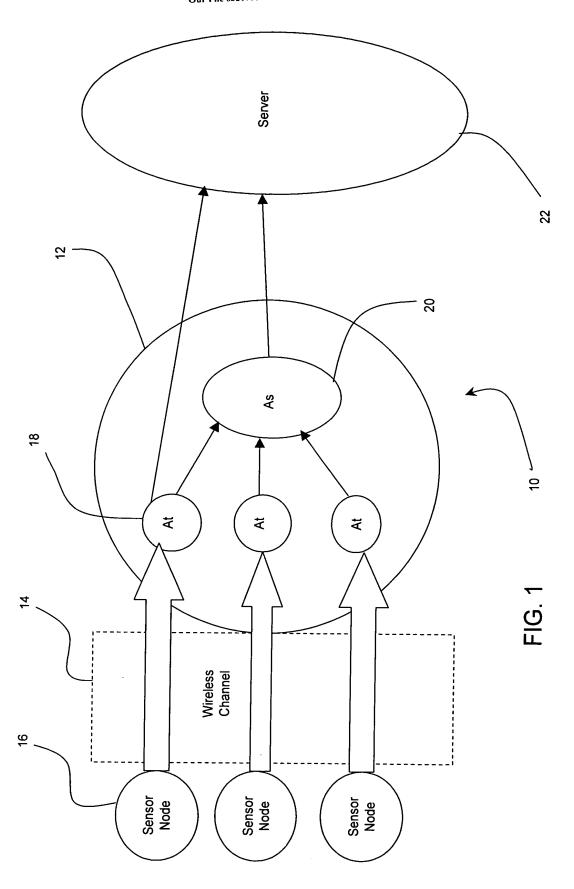
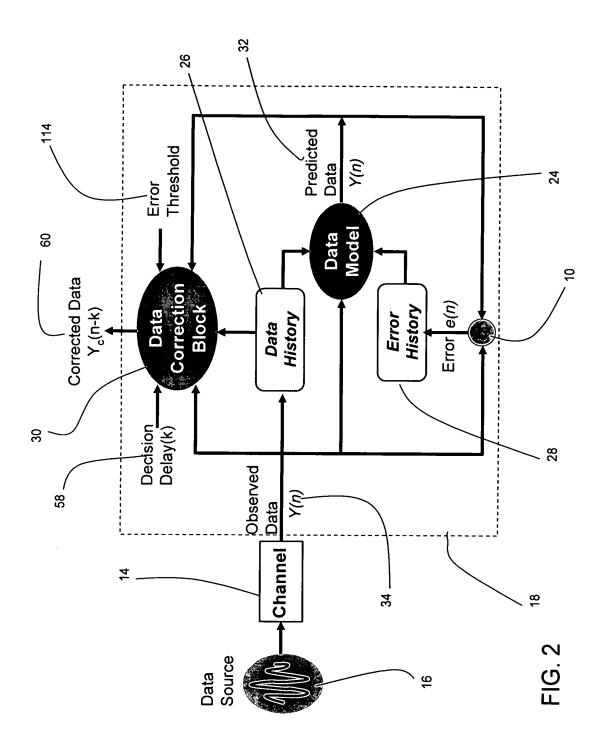
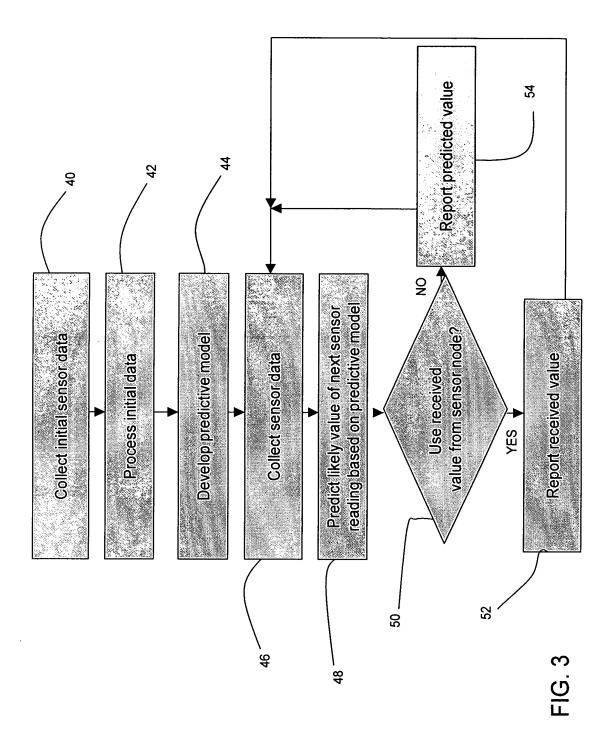
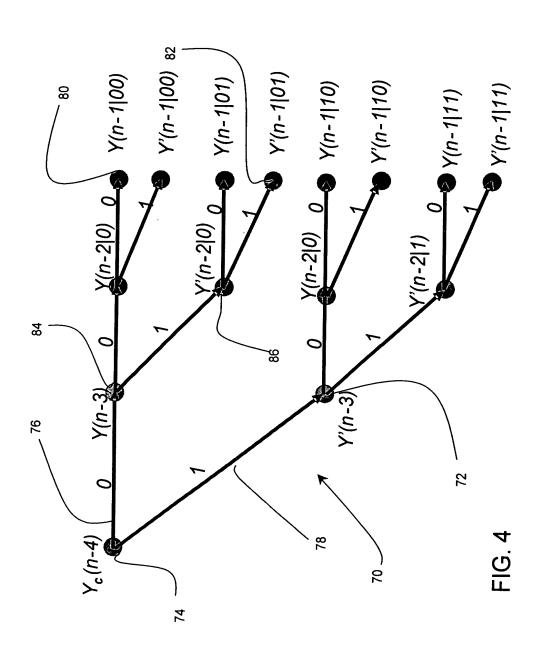
The Regents of the University of California 9/14/2001 APPARATUS AND METHOD FOR IMPROVING RELIABILITY... Greer, Burns & Crain, Ltd., Steven P. Fallon (312) 360-0080 Our File 032170116PCT Sheet 1 of 5









for each sample at time $n$ , observe value $Y(n)$ for each path $i$ from root to leaf in PHT $Y'(n, i) = \operatorname{Predict}(\operatorname{model}, \operatorname{data} \& \operatorname{error} \operatorname{history} \operatorname{for} \operatorname{path} i)$ $E(n, i) = Y(n) - Y'(n, i)$	PathErr(i) = $\frac{1}{N_i} \sum_{j=n-K}^{n} E^2(j,i)$	where $N_i=$ No. of nodes in path $i$ using predicted values end find $i=i_{min}$ which minimizes $PathErr(i)$ ; $< Yc(n-K), E(n-K)> = updatePHT(i_{min}, Y'(n, i), Y(n))$ end	updatePHT( $i$ , $Y'(n', j)$ , $Y(n)$ ): begin find $s = \text{level 1 node containing path } i_{min}$ [ out of $Y(n-K)$ and $Y'(n-K)$ ] $<_{y, \ e^{>}} = Y$ and E values of node $s$ PHT $\leftarrow$ subtree of PHT rooted in $s$ to each leaf node $j$ of new PHT, add 1st child $Y(n)$ , and if $( E(n,j)  > ETH)$ add 2nd child $Y'(n, j)$ return $<_{y,\ e^{>}}$
90 92 94 96	100	102	106 108 110 116